

Decision steps

Fleet, J., Goodchild, F. and Zajchowski, R., "Learning for Success," 2006

Why use the decision steps strategy?

The decision steps strategy can help you **focus on the process** of solving problems, rather than on the mechanics of formula and calculations. This focus can help you understand math concepts better because it helps you pay attention to, and spell out, the mental steps you take when you solve a problem. You'll look at the "**how**" and "**why**" of a problem, not only the "what." This depth of understanding is important for long-term memory, for taking exams, and for building knowledge for future courses.

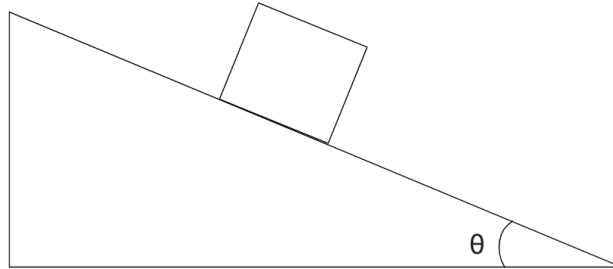
How to use decision steps

Identify the key decisions that determine what calculations to perform. In lecture, try to identify and record the decision steps the professor uses but may not write down or post.

- **Analyze solved examples**, using brief statements that focus on steps you find difficult:
 - What was done in this step?
 - How was it done; what formula or guideline was followed?
 - Why was it done?
 - Any spots or traps to watch out for?
- **Test run the decision steps on a similar problem**, and **revise** until the steps are complete and accurate.

Decision steps example: PHYS 117 problem

A 25kg box is on an incline plane at an angle of 25° . The box accelerates down the slope at 2m/s^2 . What is the coefficient of friction?



Steps	Solved Example
<p>STEP 1 Before we start solving the question, we want to read through the question carefully and write out our givens. This will make it clear what variables you know and what you are solving for to help you chose the best equations to use.</p>	<p>Givens $m=25\text{kg}$ $\theta=25^\circ$ $a=2\text{m/s}^2$</p> <p>Unknown $\mu=?$</p>
<p>STEP 2 Draw a free body diagram.</p> <p>This illustrates what forces are acting on the object and will help you determine what forces are in the x and y direction when you are solving equations.</p>	<p>A free body diagram of the box on the incline. The forces shown are: F_N (normal force) perpendicular to the incline, F_f (friction force) up the incline, F_{gx} (component of gravity parallel to the incline) down the incline, F_{gy} (component of gravity perpendicular to the incline) perpendicular to the incline, and F_g (weight) acting vertically downwards. The angle θ is also indicated.</p>
<p>STEP 3 Solve the problem.</p> <ul style="list-style-type: none"> Using your givens, think about what equations you want to use. Break down the steps and write out all your work. Find F_{net} in the y direction and x direction. 	

Find F_{net} in the y direction.

$$F_{nety} = ma$$

The box is not moving into the incline plane or off the plane, so there is no acceleration in the y-direction.

$$F_{nety} = 0$$

Substitute F_{nety} for the forces acting in the y direction.

$$\begin{aligned}F_N - F_{gy} &= 0 \\F_N &= F_{gy} \\F_N &= mg\cos\theta \\F_N &= (25kg)(9.81m/s^2)\cos 25^\circ \\F_N &= 243N\end{aligned}$$

Find F_{gx} .

$$\begin{aligned}F_{gx} &= F_g\sin\theta \\F_{gx} &= mg\sin\theta \\F_{gx} &= (25kg)(9.81m/s^2)(\sin 25^\circ) \\F_{gx} &= 103.65N\end{aligned}$$

Find F_{netx} in the x direction. The box is accelerating down the incline plane at $2m/s^2$.

$$F_{netx} = ma$$

Substitute F_{netx} for the forces acting in the x direction.

$$\begin{aligned}F_{gx} - F_f &= ma \\F_f &= F_{gx} - ma \\F_f &= (103.65N) - (25kg)(2m/s^2) \\F_f &= 53.65N\end{aligned}$$

Find μ .

$$\begin{aligned}F_f &= \mu F_N \\ \mu &= \frac{F_f}{F_N} \\ \mu &= \frac{53.65N}{243N} \\ \mu &= 0.22\end{aligned}$$